

Thermodynamic_2026_1

Second Law_S12_2

{ • Estado Estacionario
• Transitorio

NEDHER SANCHEZ RAMIREZ
NAUDY LOPEZ

OBJECTIVE

Session 23-24: Apply the second law of thermodynamics for open, closed, transient systems and cycles



Recomendaciones generales:

- Leer antes de clase y entender los conceptos o preguntar si es necesario.
- Practicar bastante:
 - *Ejercicios de clase
 - *Asesorías
 - *Ejercicios del libro resueltos y los de final de capítulo
- Los quizzes virtuales y gradescope úsenlos para aprender de forma honesta (se puede inferir).
- Tengan grupos de estudio y apóyense mutuamente.
- Crear sus propias notas estudio y formulario.
- Son 4 horas de clase en la semana (asistir y ser puntuales, perder alguna es atrasarse mucho)
- Cada hora de clase son 3 horas de estudio por fuera mínimo.
- En la ppt de la semana 1 están todos los links claves para el curso.

Thermodynamics _ Evaluation

S_8 $\rightarrow$ A
 S_{16} $\rightarrow$ F

COMPONENTE	%
EXAMEN PARCIAL	20
EXAMEN FINAL	30
C	50
APROBACIÓN: 11/20	

EXÁMENES	FECHAS
EXAMEN PARCIAL	(MAYO 11)
EXAMEN FINAL	(JULIO 6)

EXAMEN PARCIAL : Todos los temas vistos hasta la semana 6.

EXAMEN FINAL: Todos los temas vistos hasta la semana 15

Thermodynamics _ Evaluation

SEMANA 1	TAREA VIRTUAL	SE CALIFICA AUTOMATICO NO NECESITA PROCEDIMIENTO
SEMANA 2	TAREA VIRTUAL	
SEMANA 3	TAREA VIRTUAL	
		TAREA INDIVIDUAL: Esta parte incluye subir un archivo con la solución
SEMANA 4	TAREA INDIVIDUAL 1 + EVALUACION_AULA1	EVALUACION_AULA: SEMANAS 1-2
SEMANA 5	TAREA VIRTUAL+ EVALUACION_AULA2	EVALUACION_AULA: SEMANAS 1-3
SEMANA 6	TAREA VIRTUAL+TAREA INDIVIDUAL 2	
SEMANA 7	TAREA VIRTUAL+ EVALUACION_AULA3	EVALUACION_AULA: SEMANAS 1-6
SEMANA 8	PARCIAL	
	EVALUACION_AULA4+TAREA INDIVIDUAL 3 +Tarea grupal 1	
SEMANA 9		EVALUACION_AULA: SEMANAS 1-8
SEMANA 10	TAREA VIRTUAL	
SEMANA 11	TAREA VIRTUAL	
SEMANA 12	TAREA VIRTUAL+ EVALUACION_AULA5	EVALUACION_AULA: SEMANAS 1-11
SEMANA 13	TAREA VIRTUAL+TAREA INDIVIDUAL 4 + Tarea grupal 2	
	EVALUACION_AULA6	
SEMANA 14		EVALUACION_AULA : SEMANAS 1-13
SEMANA 15		
SEMANA 16	FINAL	

COMPONENTE	%
PARCIAL	20
FINAL	30
C	50
APROBACIÓN: 11/20	

***LAS TAREAS VIRTUALES O LOS GRADESCOPE (TAREA INDIVIDUAL) se abren lunes 2pm y se cierran sábado media noche. La tarea virtual se presenta hasta un máximo de 3 veces.**

EVALUACION_AULA: es un quiz de 20 min aprox. en aula.

Closed system entropy balance

Seaching by application in processes in addition to cycles!!

In symbols, the closed system entropy balance takes the form:

$$\left[\begin{array}{c} \text{change in the amount of} \\ \text{entropy contained} \\ \text{within the system during} \\ \text{some time interval} \end{array} \right] = \left[\begin{array}{c} \text{net amount of} \\ \text{entropy transferred in} \\ \text{across the system} \\ \text{boundary during the} \\ \text{time interval} \end{array} \right] + \left[\begin{array}{c} \text{amount of entropy} \\ \text{produced within the} \\ \text{system during the time} \\ \text{interval} \end{array} \right]$$

$$dS = \left(\frac{\delta Q}{T} \right)_b + \delta \sigma$$

$$\underbrace{S_2 - S_1}_{\text{entropy change}} = \underbrace{\int_1^2 \left(\frac{\delta Q}{T} \right)_b}_{\text{entropy transfer}} + \underbrace{\sigma}_{\text{entropy production}}$$

Closed system entropy balance

$$\int_1^2 \left(\frac{\delta Q}{T} \right)_b$$

entropy
transfer

*This can be interpreted to mean that an **entropy transfer** *accompanies* heat transfer (The direction of the entropy transfer is the same as that of the heat transfer)

$$\sigma$$

entropy
production

The term σ is positive when internal irreversibilities are present during the process and vanishes when no internal irreversibilities are present. This can be described by saying that **entropy is produced** (or *generated*) within the system by the action of irreversibilities.

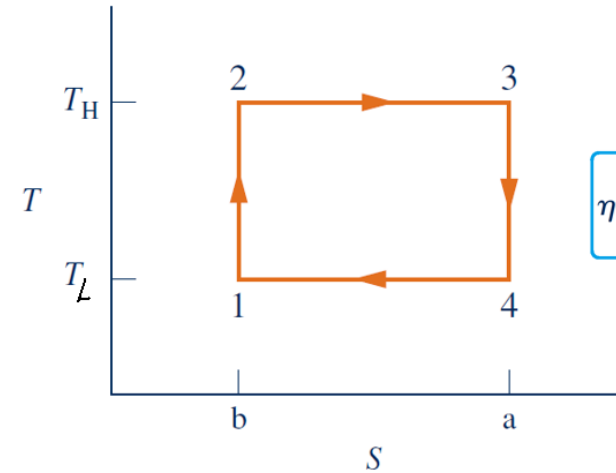
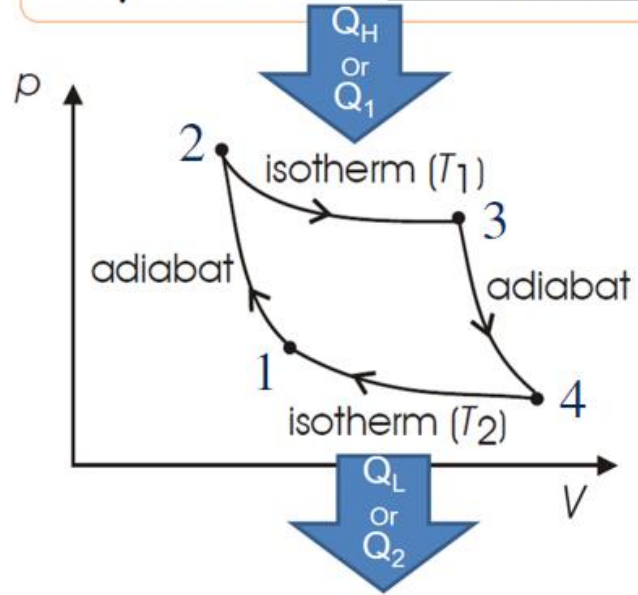
- In an adiabatic internally reversible process, entropy remains constant. A constant-entropy process is called an **isentropic process**.

- Another special case is the reversible-isothermal process, we will see some examples ($Q = T\Delta S$)

CARNOT

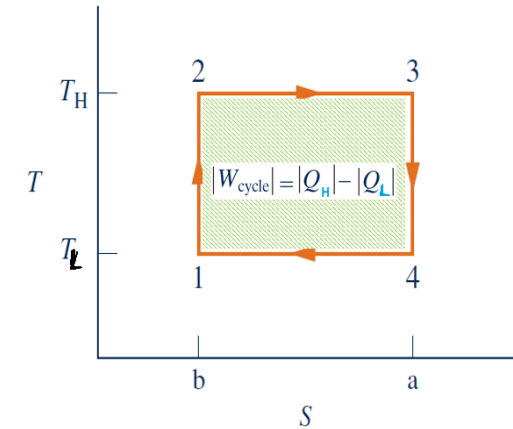
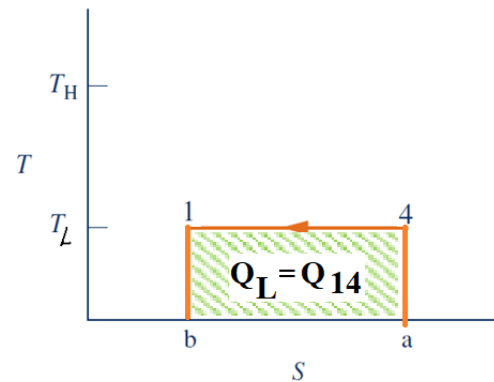
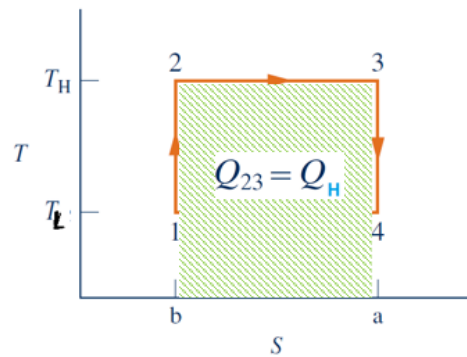
THE CARNOT CYCLE AS HEAT ENGINE...MASS CONTROL.

All paths are reversible



$$\eta = \frac{W_{\text{cycle}}}{Q_{23}} = \frac{\text{area } 1-2-3-4-1}{\text{area } 2-3-a-b-2}$$

$$Q_{23} = Q_H$$



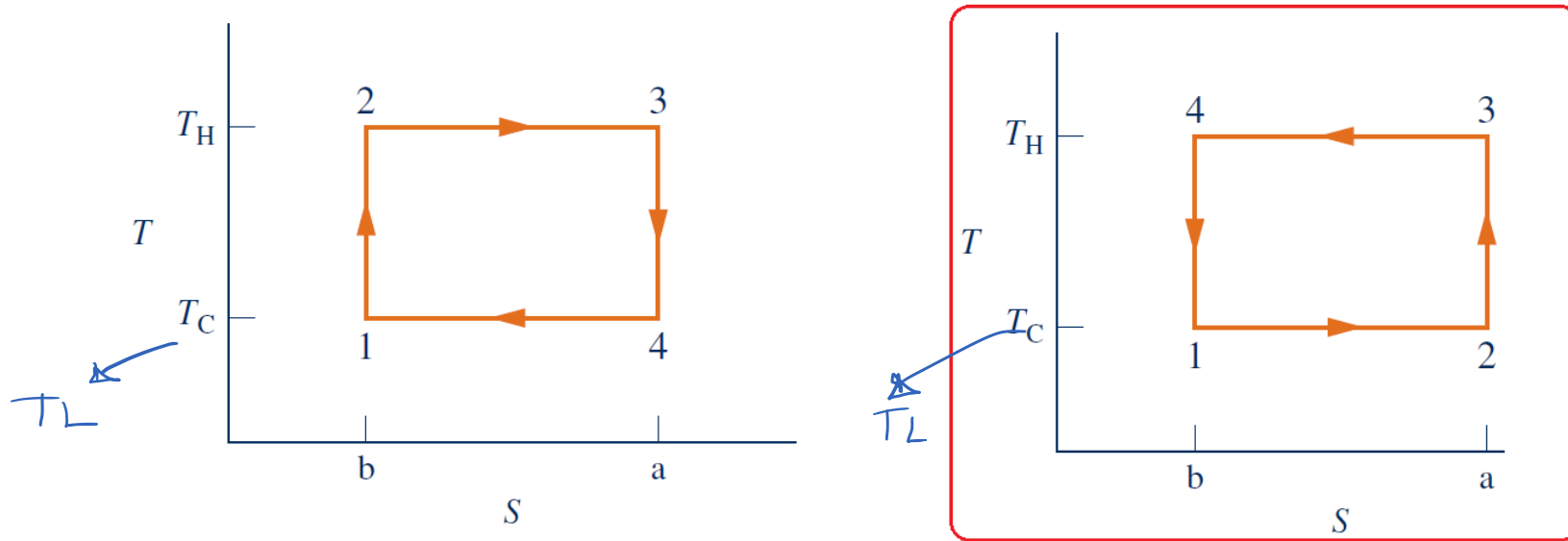


Fig. Carnot cycles on the temperature–entropy diagram. (a) Power cycle. (b) Refrigeration or heat pump cycle.

Closed system entropy balance

$$\underbrace{S_2 - S_1}_{\text{entropy change}} = \underbrace{\int_1^2 \left(\frac{\delta Q}{T} \right)_b}_{\text{entropy transfer}} + \underbrace{\sigma}_{\text{entropy production}}$$

$\sigma = 0 \Rightarrow \text{Reversible}$
 $\sigma > 0 \Rightarrow \text{Irreversible}$
 $\sigma < 0 \Rightarrow \text{Impossible}$

The value of the entropy production **cannot be negative**. In contrast, the *change* in entropy of the system may be positive, negative, or zero:

$$S_2 - S_1: \begin{cases} > 0 \\ = 0 \\ < 0 \end{cases}$$

Like other properties, entropy change for a process between two specified states can be determined without knowledge of the details of the process.

- Entropy Change of an Incompressible Substance
- Water/Refrigerants – use tables like u and h
- Entropy Change of an Ideal Gas

How to calculate entropy?

- Water/Refrigerants – use tables like u and h

TABLES A 1–A 18

- Ideal gas

- Depends on temperature and pressure

- a) $\rightarrow c_p$ variable
- Tables A-22 and A-23 give s° for temperature

$$s_2 - s_1 = s_2^\circ - s_1^\circ - R \ln \frac{p_2}{p_1}$$

$\text{kJ/kg} \cdot \text{K}$

$$\bar{s}_2 - \bar{s}_1 = \bar{s}_2^\circ - \bar{s}_1^\circ - \bar{R} \ln \frac{p_2}{p_1}$$

$\text{kJ/kmol} \cdot \text{K}$

- b) Constant specific heat (e.g. helium, neon, or argon) $\rightarrow$ TABLES A19–A20

$$s_2 - s_1 = c_p \ln \frac{T_2}{T_1} - R \ln \frac{p_2}{p_1}$$

$\text{kJ/kg} \cdot \text{K}$

$$s_2 - s_1 = c_v \ln \frac{T_2}{T_1} + R \ln \frac{v_2}{v_1}$$

$\text{kJ/kg} \cdot \text{K}$

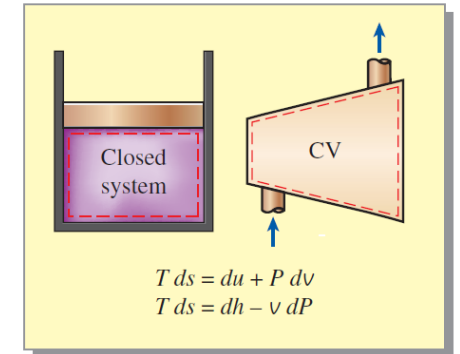
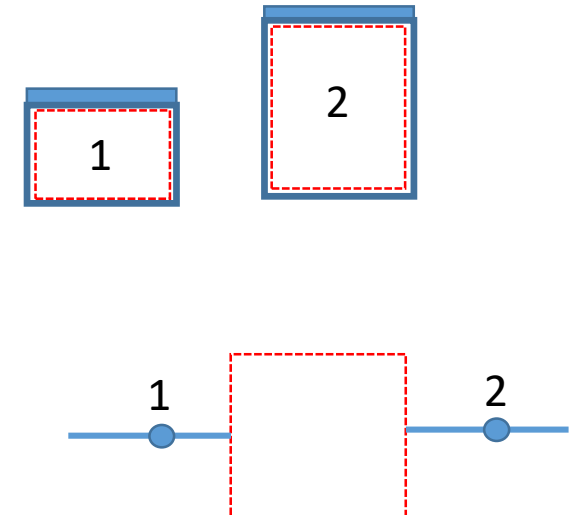


FIGURE 7–27

The $T ds$ relations are valid for both reversible and irreversible processes and for both closed and open systems.



• Entropy Change of an Incompressible Substance

KJ/kg · K

$$s_2 - s_1 = c \ln \frac{T_2}{T_1} \quad (\text{incompressible, constant } c)$$

► **FOR EXAMPLE** consider a system consisting of liquid water initially at $T_1 = 300 \text{ K}$, $p_1 = 2 \text{ bar}$ undergoing a process to a final state at $T_2 = 323 \text{ K}$, $p_2 = 1 \text{ bar}$. There are two ways to evaluate the change in specific entropy in this case. The first approach is, $s_1 \approx s_f(T_1) = 0.3954 \text{ KJ/kg} \cdot \text{K}$ and $s_2 \approx s_f(T_2) = 0.7038 \text{ KJ/kg} \cdot \text{K}$, giving $s_2 - s_1 = 0.308 \text{ KJ/kg} \cdot \text{K}$.

The second approach is to use the incompressible model.

That is, with $c = 4.18 \text{ KJ/kg} \cdot \text{K}$ from Table A-19, we get

$$s_2 - s_1 = c \ln \frac{T_2}{T_1} = \left(4.18 \frac{\text{kJ}}{\text{kg} \cdot \text{K}} \right) \ln \left(\frac{323 \text{ K}}{300 \text{ K}} \right) = 0.309 \text{ KJ/kg} \cdot \text{K}$$

Comparing the values obtained for the change in specific entropy using the two approaches considered here, we see they are in agreement. ◀ ◀ ◀ ◀ ◀

TABLE A-2
(Continued)

Temp. °C	Press. bar	Specific Volume m ³ /kg		Internal Energy kJ/kg		Enthalpy kJ/kg		Entropy kJ/kg · K		Temp. °C
		Sat. Liquid $v_f \times 10^3$	Sat. Vapor v_g	Sat. Liquid u_f	Sat. Vapor u_g	Sat. Liquid h_f	Sat. Vapor h_g	Sat. Liquid s_f	Sat. Vapor s_g	
27	0.03567	1.0035	38.774	113.25	2412.5	113.25	2437.6	0.3954	8.5156	27
50	.1235	1.0121	12.032	209.32	2443.5	209.33	2382.7	.7038	8.0763	50

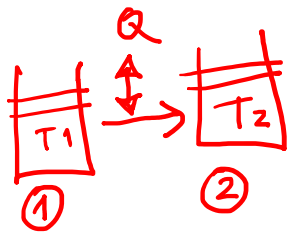
- For example, for two pumps that moves water from level A to level B, **the one with less entropy generation** would be the most efficient and would have the least heat losses to the surroundings and, therefore, would be the better designed and maybe it can last longer (it also could be more expensive).

Entropy Balance for Closed Systems

$$\left[\begin{array}{c} \text{change in the amount of} \\ \text{entropy contained} \\ \text{within the system during} \\ \text{some time interval} \end{array} \right] = \left[\begin{array}{c} \text{net amount of} \\ \text{entropy transferred in} \\ \text{across the system} \\ \text{boundary during the} \\ \text{time interval} \end{array} \right] + \left[\begin{array}{c} \text{amount of entropy} \\ \text{produced within the} \\ \text{system during the time} \\ \text{interval} \end{array} \right]$$

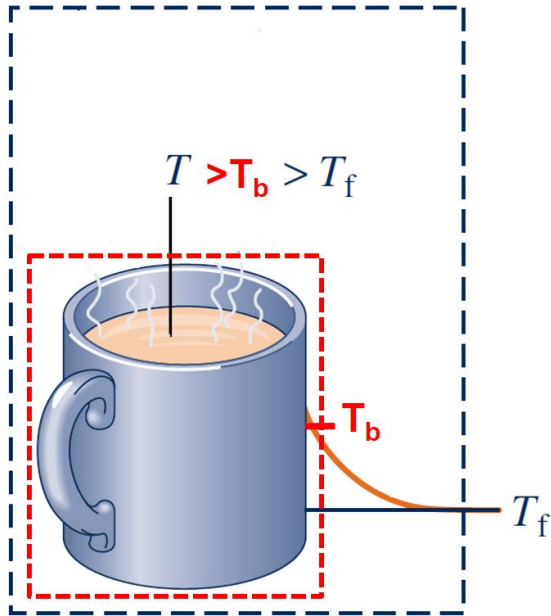
$$\frac{S_2 - S_1}{\text{entropy change}} = \frac{\int_1^2 \left(\frac{\delta Q}{T} \right)_b}{\text{entropy transfer}} + \frac{\sigma}{\text{entropy production}}$$

- Where subscript **b** signals that the integrand is evaluated at the system boundary.
- It is important to highlight that at the end the σ allows us to compare two devices, for example, we must choose a temperature (much better constant!) that allows us to easily calculate the entropy that accompanies heat transfer ($\int \frac{\delta Q}{T}$)



$$\oint \frac{\delta Q}{T} + \sigma = S_2 - S_1$$

Boundary of enlarged system



Closed System Entropy Balance

If the temperature T_b is constant $\Rightarrow S_2 - S_1 = \frac{Q}{T_b} + \sigma$

where Q/T_b represents the *amount* of entropy transferred through the portion of the boundary at temperature T_b .

Closed System Entropy Balance

If the temperature T_b is constant $\Rightarrow$

$$S_2 - S_1 = \frac{Q}{T_b} + \sigma$$

where Q/T_b represents the *amount* of entropy transferred through the portion of the boundary at temperature T_b .

Closed System Entropy **Rate** Balance

Similarly, the quantity $\dot{Q}/T_j$ represents the *time rate* of entropy transfer through the portion of the boundary whose instantaneous temperature is T_j .

On a time rate basis, the **closed system entropy rate balance** is

$$\frac{dS}{dt} = \sum_j \frac{\dot{Q}_j}{T_j} + \dot{\sigma}$$

where dS/dt is the time rate of change of entropy of the system. The term $\dot{Q}_j/T_j$ represents the time rate of entropy transfer through the portion of the boundary whose instantaneous temperature is T_j . The term $\dot{\sigma}$ accounts for the time rate of entropy production due to irreversibilities within the system (or extended-Tj)

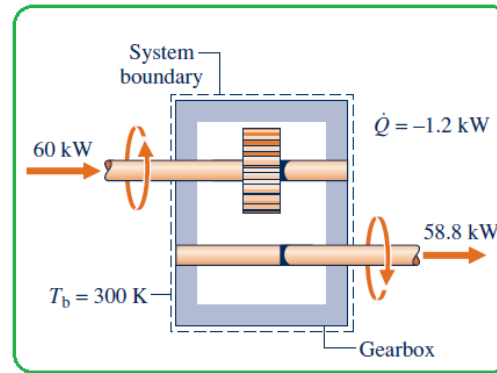
Closed System Entropy Rate Balance

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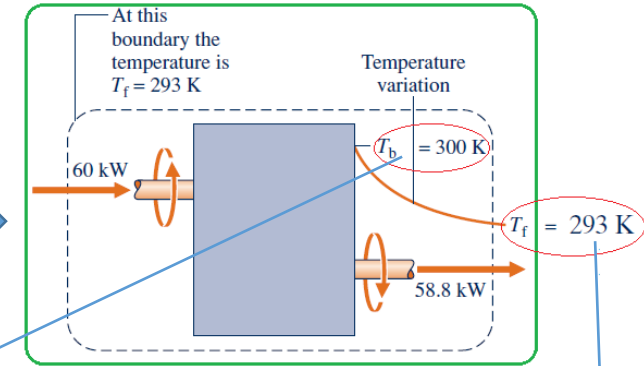


(a)

$$\frac{dS^0}{dt} = \frac{\dot{Q}}{T_b} + \dot{\sigma}$$

$$\dot{\sigma} = -\frac{\dot{Q}}{T_b}$$

$$\dot{\sigma} = -\frac{(-1.2 \text{ kW})}{(300 \text{ K})} = 4 \times 10^{-3} \text{ kW/K}$$



(b)

$$\frac{dS^0}{dt} = \frac{\dot{Q}}{T_f} + \dot{\sigma}$$

$$\dot{\sigma} = -\frac{\dot{Q}}{T_f}$$

$$\dot{\sigma} = -\frac{(-1.2 \text{ kW})}{(293 \text{ K})} = 4.1 \times 10^{-3} \text{ kW/K}$$

The value of the entropy production rate calculated in part (a) gauges the significance of irreversibilities associated with friction and heat transfer *within* the gearbox. In part (b), an additional source of irreversibility is included in the enlarged system, namely, the irreversibility associated with the heat transfer from the outer surface of the gearbox at T_b to the surroundings at T_f . In this case, the irreversibilities within the gearbox are dominant, accounting for about 98% of the total rate of entropy production.

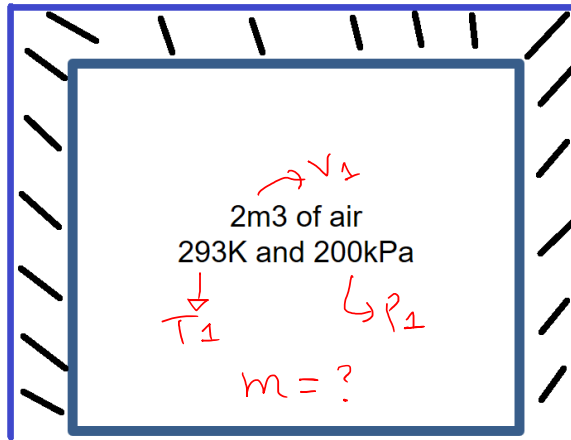
APPLICATIONS FOR CLOSED SYSTEMS

$$\frac{S_2 - S_1}{\text{entropy change}} = \frac{\int_1^2 \left(\frac{\delta Q}{T} \right)_b}{\text{entropy transfer}} + \frac{\sigma}{\text{entropy production}}$$

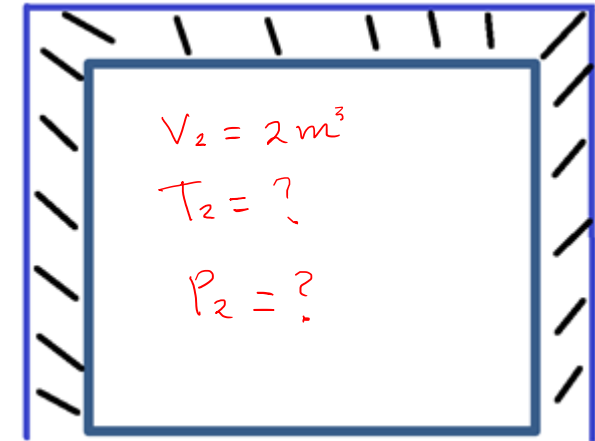
EXAMPLE 1 – CLOSED SYSTEM

Two m^3 of air in a rigid container is initially at 293 K, 200 kPa. The air receives 710 kJ by heat from a heat source at 1000K. Assuming the ideal gas model with $c_v = 0.72 \text{ kJ/kg} \cdot \text{K}$, determine for the air (a) the mass, in kg, (b) final temperature, in K, and (c) the amount of entropy produced, in kJ/K.

- *) USAR TABLA A22 para calcular Δu y $S^\circ \rightarrow$ calcular $\Delta S \rightarrow c_p$ variable
- **) USAR c_v para calcular Δu y $\Delta S \rightarrow c_v, c_p$ constantes.



①



②

a) The air mass:

$$PV = mRT$$

$$200 \times 2 = m \times \frac{8.314}{28.97} \times 293$$

$$m = 4.757 \text{ kg}$$

b) Energy balance for closed systems:

$$T_1 = 293 \text{ K}$$

TABLE A-22

Ideal Gas Properties of Air

<i>T</i>	<i>h</i>	<i>u</i>	<i>s</i> ^o
290	290.16	206.91	1.66802
295	295.17	210.49	1.68515

State 1:

$$u_1 = 209.058 \frac{\text{kJ}}{\text{kg}}$$

$$s_1^o = 1.67830 \frac{\text{kJ}}{\text{kg}}$$

*) USAR TABLA A22 pum calculator ΔU y $S^o \rightarrow$ calculator $\Delta S \rightarrow C_p$ variable

b) Energy balance for closed systems: $\Delta U = Q - W$

$$m(u_2 - u_1) = Q$$

$$4.757 \times (u_2 - 209.058) = 710$$

$$u_2 = 358.312 \text{ kJ/kg}$$

T	h	u	s^o
490	492.74	352.08	2.19876
500	503.02	359.49	2.21952

State 2:

$$T_2 = \mathbf{498.41K}$$

$$s_2^o = 2.21622 \frac{\text{kJ}}{\text{kg}}$$

c) The entropy generation:

$$\Delta S = \frac{Q}{T_0} + \sigma$$

$$m(s_2 - s_1) = \frac{Q}{T_0} + \sigma$$

$$m \left(s_2^0 - s_1^0 - R \ln \frac{P_2}{P_1} \right) = \frac{Q}{T_0} + \sigma$$

$$s_2 - s_1 = s_2^0 - s_1^0 - R \ln \frac{p_2}{p_1}$$

kJ/kg · K

$$\bar{s}_2 - \bar{s}_1 = \bar{s}_2^0 - \bar{s}_1^0 - \bar{R} \ln \frac{p_2}{p_1}$$

kJ/kmol · K

• Constant specific heat (e.g. helium, neon, or argon)

$$s_2 - s_1 = c_p \ln \frac{T_2}{T_1} - R \ln \frac{p_2}{p_1}$$

kJ/kg · K

$$s_2 - s_1 = c_v \ln \frac{T_2}{T_1} + R \ln \frac{v_2}{v_1}$$

kJ/kg · K

$$4.757 \left(2.21622 - 1.67830 - \frac{8.314}{28.97} \ln \frac{340.213}{200} \right) = \frac{710}{1000} + \sigma$$

$$\sigma = 1.1236 \text{ kJ/K}$$

$$P_2 v = m R T_2$$

$$P_2 = \frac{4.757 \times 8.314 \times 340.213}{28.97 \times 2}$$

↓

$$= 340.213 \text{ K}$$

**) Use C_v from calculator ΔU & $\Delta S \rightarrow C_v, C_p$ constants.

a) The air mass:

$$PV = mRT$$

$$200 \times 2 = m \times \frac{8.314}{28.97} \times 293$$

$$m = 4.757 \text{ kg}$$

b) Energy balance for closed systems:

$$\Delta U = Q - W$$

$$mc_v(T_2 - T_1) = Q$$

$$4.757 \times 0.72 \times (T_2 - 293) = 710$$

$$T_2 = 500.30 \text{ K}$$

c) The entropy generation:

$$\Delta S = \frac{Q}{T_0} + \sigma$$

$$m(s_2 - s_1) = \frac{Q}{T_0} + \sigma$$

$$m \left(c_v \ln \frac{T_2}{T_1} + R \ln \frac{v_2}{v_1} \right) = \frac{Q}{T_0} + \sigma$$

$$4.757 \left(0.72 \ln \frac{500.30}{293} + \frac{8.314}{28.97} \ln \frac{2}{2} \right) = \frac{710}{1000} + \sigma$$

$$\sigma = 1.1225 \text{ kJ/K}$$

$$s_2 - s_1 = s_2^o - s_1^o - R \ln \frac{p_2}{p_1}$$

kJ/kg · K

$$\bar{s}_2 - \bar{s}_1 = \bar{s}_2^o - \bar{s}_1^o - \bar{R} \ln \frac{p_2}{p_1}$$

kJ/kmol · K

• Constant specific heat (e.g. helium, neon, or argon)

$$s_2 - s_1 = c_p \ln \frac{T_2}{T_1} - R \ln \frac{p_2}{p_1}$$

kJ/kg · K

$$s_2 - s_1 = c_v \ln \frac{T_2}{T_1} + R \ln \frac{v_2}{v_1}$$

kJ/kg · K

Increase of Entropy Principle

Since all energy and mass transfers taking place are included within the boundary of the enlarged system, the enlarged system is an isolated system. An energy balance for the isolated system reduces to:

$$\Delta E = \cancel{Q} - \cancel{W}$$

$$\Delta E]_{\text{isol}} = 0$$

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$$\Delta E]_{\text{system}} + \Delta E]_{\text{surr}} = 0$$



Processes also must satisfy the second law:

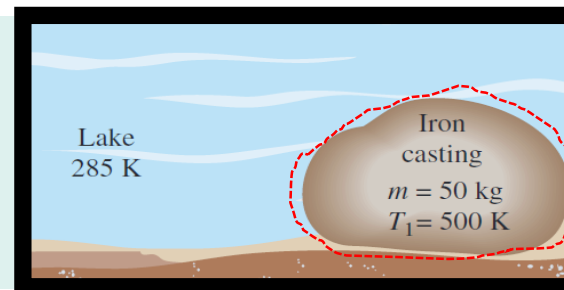
$$\Delta S]_{\text{isol}} = \int_1^2 \left(\frac{\delta Q}{T} \right)_b + \sigma_{\text{isol}}$$

$$\Delta S]_{\text{isol}} = \sigma_{\text{isol}}$$

$$\Delta S_{\text{sys}} + \Delta S_{\text{surr}} = \sigma_{\text{isol}}$$

EXAMPLE Entropy Generated when a Hot Block Is Dropped in a Lake

A 50-kg block of iron casting at 500 K is thrown into a large lake that is at a temperature of 285 K. The iron block eventually reaches thermal equilibrium with the lake water. Assuming an average specific heat of 0.45 kJ/kg·K for the iron, determine (a) the entropy change of the iron block, (b) the entropy change of the lake water, and (c) the entropy generated during this process.



$$\sigma = \Delta S_{\text{total}} = \Delta S_{\text{system}} + \Delta S_{\text{lake}}$$

→ σ "universe"

$$\sigma_{\text{universe}} = \Delta S = \Delta S_{\text{sys}} + \Delta S_{\text{lake}}$$

(a) The entropy change of the iron block can be determined from

$$\Delta S_{\text{iron}} = m(s_2 - s_1) = mc_{\text{avg}} \ln \frac{T_2}{T_1} = (50 \text{ kg})(0.45 \text{ kJ/kg}\cdot\text{K}) \ln \frac{285 \text{ K}}{500 \text{ K}} = -12.65 \text{ kJ/K}$$

(b) The temperature of the lake water remains constant during this process at 285 K.

energy balance on the iron block to be $Q = \Delta U = mc_{\text{avg}}(T_2 - T_1)$

$$Q = mc_{\text{avg}}(T_2 - T_1) = (50 \text{ kg})(0.45 \text{ kJ/kg}\cdot\text{K})(285 - 500) \text{ K} = -4838 \text{ kJ}$$

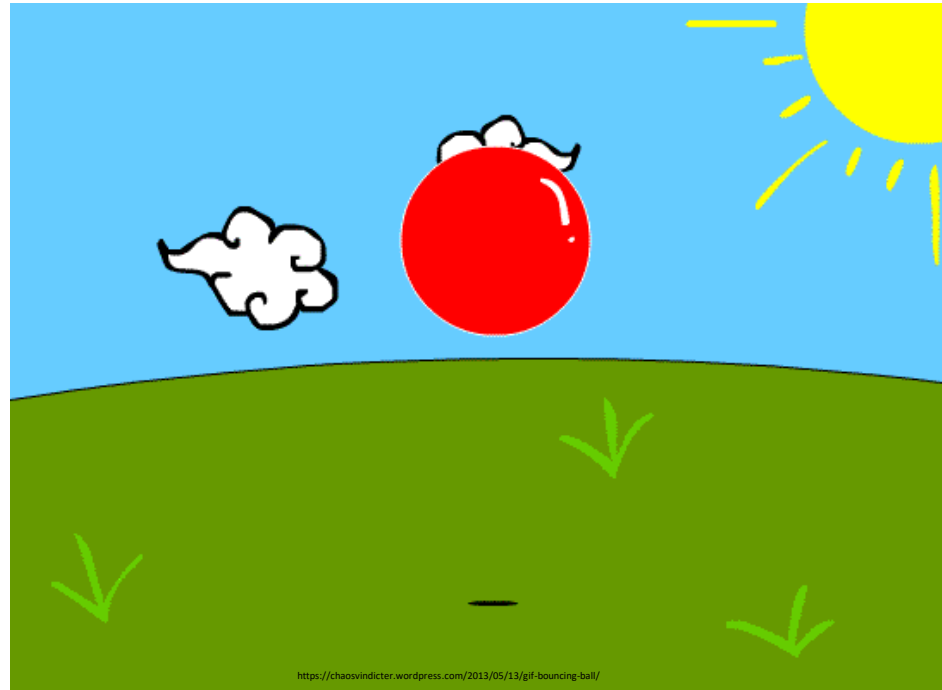
Then, the entropy change of the lake becomes

$$\Delta S_{\text{lake}} = \frac{Q_{\text{lake}}}{T_{\text{lake}}} = \frac{+4838 \text{ kJ}}{285 \text{ K}} = 16.97 \text{ kJ/K}$$

C) The entropy generated

$$\sigma = \Delta S_{\text{total}} = \Delta S_{\text{system}} + \Delta S_{\text{lake}} = -12.65 + 16.97 = 4.32 \text{ kJ/K}$$

Directionality of Processes



Directionality of Processes



<https://cormullion.github.io/pages/2019-06-23-slackmoji/>

APPLICATIONS FOR OPEN SYSTEMS

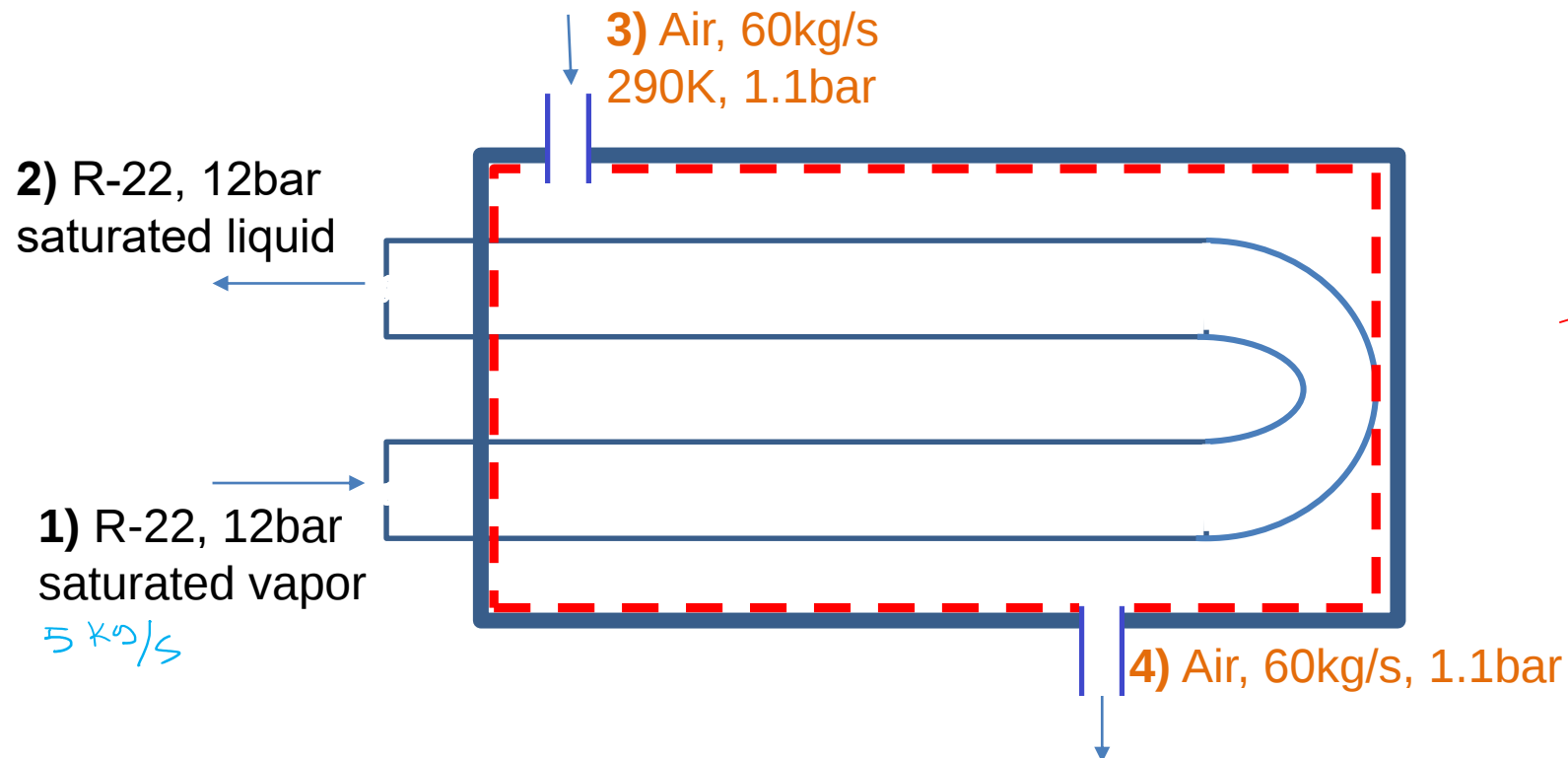
$$\frac{dS_{cv}}{dt} = \sum_i \dot{m}_i s_i - \sum_e \dot{m}_e s_e + \sum_j \frac{\dot{Q}_j}{T_j} + \dot{\sigma}$$

↙
Escrito así ya supone una
T de frontera constante.

EXAMPLE 2 – OPEN SYSTEM

An insulated heat exchanger uses air as cold fluid to condensate R-22 that flows inside tubes. If 5 kg/s of saturated R-22 is passing at 12bar (entering as saturated vapor leaving as saturated liquid), while 60 kg/s of air at 290 K and 1.1bar is entering to the shell. There is no pressure drop on the heat exchanger. Determine a) the exit temperature of air [°C]. The rate of entropy generation [kW/K] considering as control volume: b) the whole heat exchanger, c) only the tubes where the refrigerant flows and d) the shell without the tubes. The heat exchanger works in steady state and has adiabatic external walls. **USAR TABLA A22 PARA EL AIRE**

↳ significa NO USAR c_p etc



T_A ?
 G ?

b) Energy balance with the whole HE as control volume

TABLE A-22

Ideal Gas Properties of Air

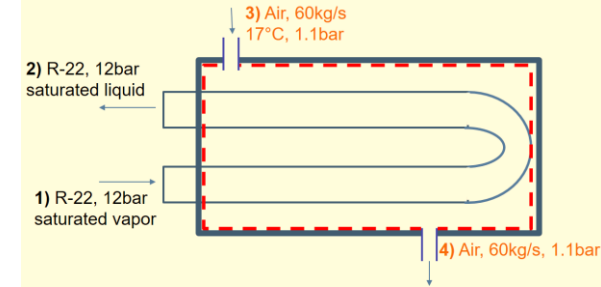
				<i>T(K), h and u(when Δs = 0)</i>	
	<i>T₃</i>	<i>h₃</i>	<i>u</i>	<i>s₃^o</i>	
State 3	290	290.16	206.91	1.66802	
	300	300.19	214.07	1.70203	
	305	305.22	217.67	1.71865	

TABLE A-8

Pressure Conversions:
1 bar = 0.1 MPa
= 10² kPa

Properties of Saturated Refrigerant 22 (Liquid-Vapor): Pressure Table

Pressure Conversion 1 bar = 0.1 MPa = 10 ² kPa		Specific Volume m ³ /kg		Internal Energy kJ/kg		Enthalpy kJ/kg			Entropy kJ/kg · K	
Press. bar	Temp. °C	Sat. Liquid <i>v_f</i> × 10 ³	Sat. Vapor <i>v_g</i>	Sat. Liquid <i>u_f</i>	Sat. Vapor <i>u_g</i>	Sat. Liquid <i>h_f</i>	Evap. <i>h_{fg}</i>	Sat. Vapor <i>h_g</i>	Sat. Liquid <i>s_f</i>	Sat. Vapor <i>s_g</i>
12.00	30.25	0.8546	0.0195	80.87	235.48	81.90	177.04	258.94	0.3029	0.8864
						<i>h₂</i>	<i>h₁</i>		<i>s₂</i>	<i>s₁</i>



State 1 and 2

$$\frac{dE}{dt} = \dot{Q} - \dot{W} + \sum \dot{m}_i h_i - \sum \dot{m}_e h_e$$

$$0 = \dot{m}_{R-22} h_1 + \dot{m}_a h_3 - \dot{m}_{R-22} h_2 - \dot{m}_a h_4$$

$$\dot{m}_a (h_4 - h_3) = \dot{m}_{R-22} (h_1 - h_2)$$

$$60 \times (h_4 - 290.16) = 5 \times (258.94 - 81.90)$$

$$h_4 = 304.9133 \text{ kJ/kg}$$

TABLE A-22

Ideal Gas Properties of Air

<i>T</i>	<i>h</i>	<i>u</i>	<i>s^o</i>
300	300.19	214.07	1.70203
305	305.22	217.67	1.71865

State 4:

Interpolating (Table A22):

$$T_4 = 304.6951 \text{ K}$$

$$s_4^0 = 1.71763 \text{ kJ/kgK}$$

b) Entropy generation with all HE as CV

$$\frac{dS}{dt} = \frac{\dot{Q}}{T_0} + \sum_i \dot{m}_i s_i - \sum_e \dot{m}_e s_e + \dot{\sigma}$$

$$0 = \dot{m}_{R-22} s_1 + \dot{m}_a s_3 - \dot{m}_{R-22} s_2 - \dot{m}_a s_4 + \dot{\sigma}$$

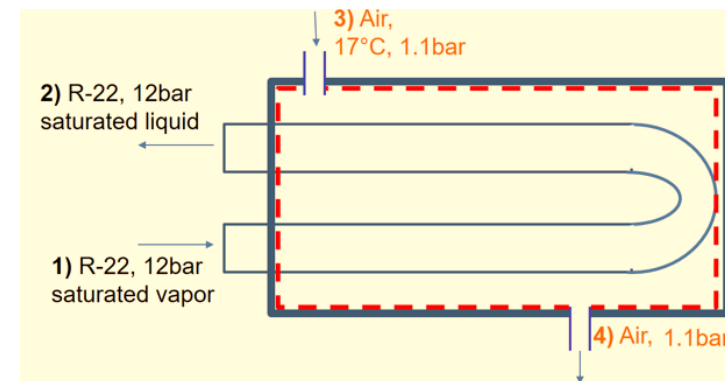
$$0 = \dot{m}_{R-22} (s_1 - s_2) + \dot{m}_a (s_3 - s_4) + \dot{\sigma}$$

$$\dot{m}_{R-22} (s_2 - s_1) + \dot{m}_a (s_4 - s_3) = \dot{\sigma}$$

$$\dot{m}_{R-22} (s_2 - s_1) + \dot{m}_a \left(s_4^0 - s_3^0 - R \ln \frac{P_4}{P_3} \right) = \dot{\sigma}$$

$$5 \times (0.3029 - 0.8864) + 60 \times \left(1.71763 - 1.66802 - \frac{8.314}{28.97} \ln \frac{110}{110} \right) = \dot{\sigma}$$

$$\dot{\sigma} = 0.05909 \frac{kW}{K}$$



s_3^0
1.66802

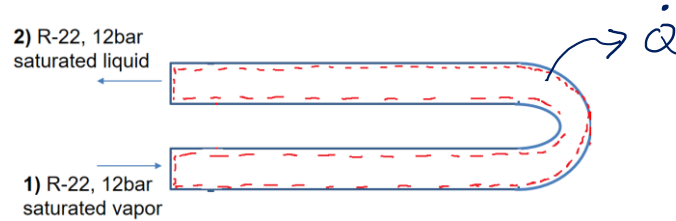
$$s_4^0 = 1.71763 \text{ kJ/kgK}$$

Entropy kJ/kg · K	
Sat. Liquid s_f	Sat. Vapor s_g
0.3029	0.8864
s_2	s_1

$$s_4 - s_3 = s_4^0 - s_3^0 - R \ln \frac{P_4}{P_3}$$

c) Entropy generation with tubes with R-22 as CV, $T_0 = T_{\text{avg}}$ of air = $\frac{290+304.6951}{2} = 297.347 \text{ K}$

Heat loss from the refrigerant to air:



$$\cancel{\frac{dE}{dt}} = \cancel{\dot{Q}} - \cancel{\dot{W}} + \sum_i \dot{m}_i h_i - \sum_i \dot{m}_e h_e \longrightarrow$$

$$\dot{Q} = \dot{m}_{R-22}(h_2 - h_1)$$

$$\dot{Q} = 5 \times (81.90 - 258.94)$$

$$\dot{Q} = -885.2 \text{ kW}$$

$$\cancel{\frac{dS}{dt}} = \frac{\dot{Q}}{T_0} + \sum_i \dot{m}_e s_e - \sum_i \dot{m}_o s_o + \dot{\sigma}$$

$$0 = \frac{\dot{Q}}{T_0} + \dot{m}_{R-22}(s_1 - s_2) + \dot{\sigma}$$

$$0 = \frac{-885.2}{297.347} + 5 \times (0.8864 - 0.3029) + \dot{\sigma}$$

$$\dot{\sigma} = 0.05949 \frac{\text{kW}}{\text{K}}$$

TABLE A-8

Pressure Conversions:
1 bar = 0.1 MPa
= 10⁵ kPa

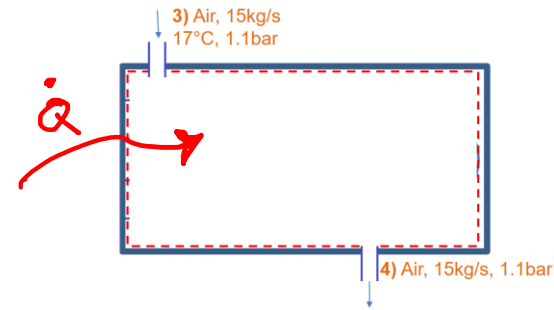
Properties of Saturated Refrigerant 22 (Liquid-Vapor): Pressure Table

Press. bar	Temp. °C	Specific Volume m ³ /kg		Internal Energy kJ/kg		Enthalpy kJ/kg		Entropy kJ/kg · K	
		Sat. Liquid $v_f \times 10^3$	Sat. Vapor v_g	Sat. Liquid u_f	Sat. Vapor u_g	Sat. Liquid h_f	Evap. h_{fg}	Sat. Liquid s_f	Sat. Vapor s_g
12.00	30.25	0.8546	0.0195	80.87	235.48	81.90	177.04	0.3029	0.8864

Handwritten notes on the table:
 v_2 is written next to the 81.90 value.
 h_1 is written next to the 258.94 value.
 s_2 is written next to the 0.3029 value.
 s_1 is written next to the 0.8864 value.

Heat absorbed by the air:

$$\dot{Q} = +885.2 \text{ kW}$$



d) Entropy generation through the shell with air, $T_0 = T_{\text{sat}} = 30.25 + 273.15 = 303.4 \text{ K}$

$$\frac{dS}{dt} = \frac{\dot{Q}}{T_0} + \sum_i \dot{m}_e s_e - \sum_i \dot{m}_o s_o + \dot{\sigma}$$

$$0 = \frac{\dot{Q}}{T_0} + \dot{m}_a (s_3 - s_4) + \dot{\sigma}$$

$$0 = \frac{\dot{Q}}{T_0} + \dot{m}_a \left(s_3^0 - s_4^0 - R \ln \frac{P_3}{P_4} \right) + \dot{\sigma}$$

$$0 = \frac{+885.2}{303.4} + 60 \times \left(1.66802 - 1.71763 - \frac{8.314}{28.97} \ln \frac{110}{110} \right) + \dot{\sigma}$$

$$\dot{\sigma} = 0.05899 \frac{\text{kW}}{\text{K}}$$

TAREA: usar c_p de puros el aire y verificar su efecto en el balance de entropía y en el balance de energía.

↳ Realizar todos los cálculos nuevamente.

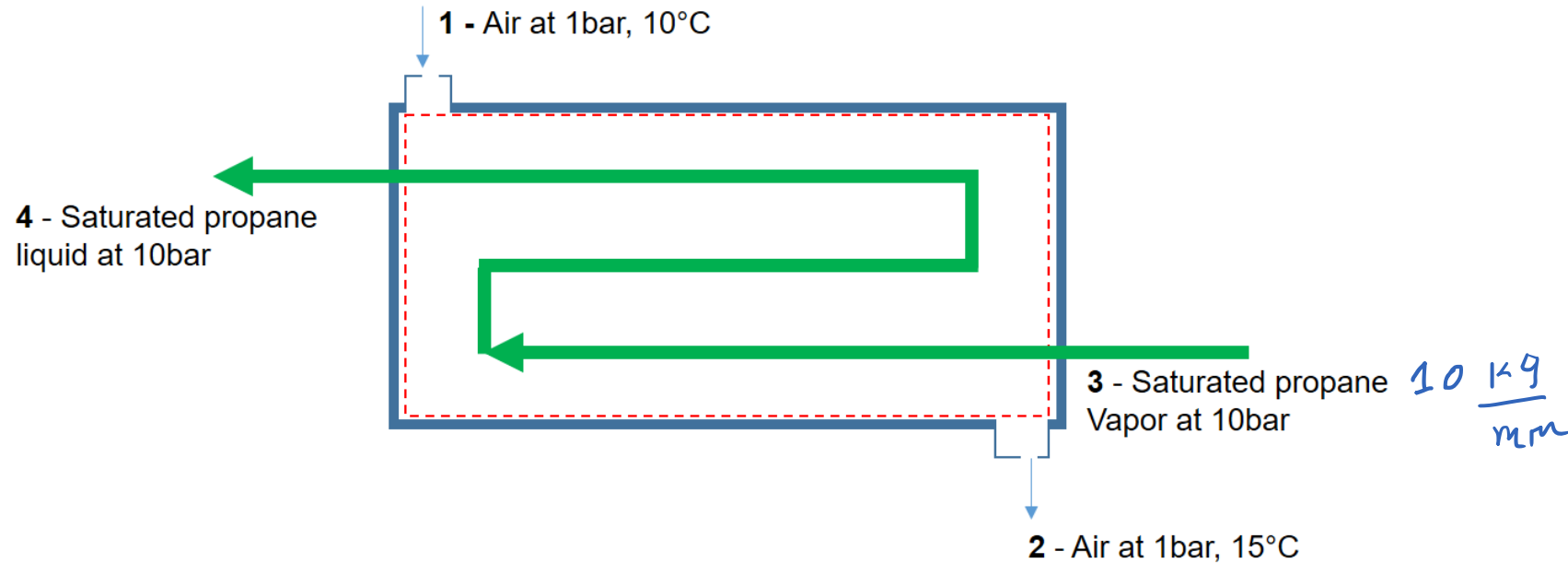
~~TAREA~~ 2: Hacer balances de entropía en dispositivos de diferente tipo.

EXAMPLE 2.4 – OPEN SYSTEM

The heat exchanger (running in steady state) shown below is used to condense saturated propane vapor at 10bar. The cold fluid is air entering at atmospheric pressure and 10°C and exiting at 15°C. The heat exchanger can be considered as an adiabatic equipment since it is covered by polyurethane. If the mass flowrate of propane entering the heat exchanger is 10 kg/min, estimate the mass flow of air required [**kg/s**] and the rate of entropy generation in the heat exchanger [**kW/K**]. ($c_{p_air} = 1.005 \text{ kJ/kg} \cdot \text{K}$)

✓ use c_p

↪ use for $\underline{E.}$ balance and $\underline{S.}$ balance



Taking the heat exchanger as the C.V., the energy balance is:

$$\cancel{\frac{dE}{dt}} = \cancel{\dot{Q}} - \cancel{\dot{W}} + \sum \dot{m}_e h_e - \sum \dot{m}_s h_s$$

$$\sum \dot{m}_e h_e = \sum \dot{m}_s h_s$$

$$\dot{m}_a c_p (T_2 - T_1) = \dot{m}_p (h_3 - h_4)$$

$$\dot{m}_a \times 1.005 \times (15 - 10) = \frac{10}{60} \times (497.9 - 166.1)$$

$$\dot{m}_a = 11.005 \text{ kg/s}$$

TABLE A-17

Pressure Conversions:
1 bar = 0.1 MPa
= 10² kPa

Properties of Saturated Propane (Liquid–Vapor): Pressure Table

Press. bar	Temp. °C	Specific Volume m ³ /kg		Internal Energy kJ/kg		Enthalpy kJ/kg			Entropy kJ/kg · K		Press. bar
		Sat. Liquid $v_f \times 10^3$	Sat. Vapor v_g	Sat. Liquid u_f	Sat. Vapor u_g	Sat. Liquid h_f	Evap. h_{fg}	Sat. Vapor h_g	Sat. Liquid s_f	Sat. Vapor s_g	
10.00	26.95	2.043	0.04606	164.0	451.8	166.1	331.8	497.9	0.618	1.723	10.00

Taking the heat exchanger as the C.V., the rate of entropy generation is:

$$\frac{dS}{dt} = \frac{\dot{Q}}{T_0} + \sum \dot{m}_e s_e - \sum \dot{m}_s s_s + \dot{\sigma}$$

$$\dot{\sigma} = \sum \dot{m}_s s_s - \sum \dot{m}_e s_e$$

$$\dot{\sigma} = \dot{m}_a (s_2 - s_1) + \dot{m}_p (s_4 - s_3)$$

$$\dot{\sigma} = \dot{m}_a \left(c_p \ln \frac{T_2}{T_1} - R \ln \frac{P_2}{P_1} \right) + \dot{m}_p (s_4 - s_3)$$

$$\dot{\sigma} = 11.005 \times \left(1.005 \times \ln \frac{15 + 273.15}{10 + 273.15} - \frac{8.314}{28.97} \ln \frac{1}{1} \right) + \frac{10}{60} \times (0.618 - 1.723)$$

$$\dot{\sigma} = 9.432 \times 10^{-3} \text{ kW/K}$$

TABLE A-17
Pressure Conversions:
1 bar = 0.1 MPa
= 10² kPa

Properties of Saturated Propane (Liquid-Vapor): Pressure Table

Press. bar	Temp. °C	Specific Volume m ³ /kg		Internal Energy kJ/kg		Enthalpy kJ/kg			Entropy kJ/kg · K		Press. bar
		Sat. Liquid <i>v</i> _f × 10 ³	Sat. Vapor <i>v</i> _g	Sat. Liquid <i>u</i> _f	Sat. Vapor <i>u</i> _g	Sat. Liquid <i>h</i> _f	Evap. <i>h</i> _{fg}	Sat. Vapor <i>h</i> _g	Sat. Liquid <i>s</i> _f	Sat. Vapor <i>s</i> _g	
10.00	26.95	2.043	0.04606	164.0	451.8	166.1	331.8	497.9	0.618	1.723	10.00

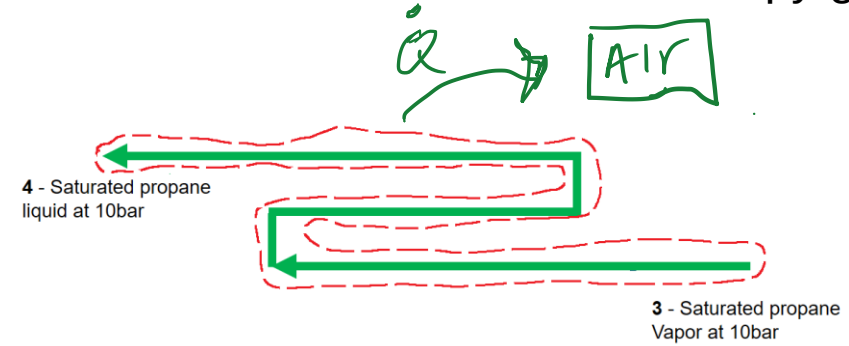
s₄ **s₃**

Now, **let's consider the tubes through which propane flows as a CV** and estimate the entropy generation.
Energy balance:

$$\frac{dE}{dt} = \dot{Q} - \dot{W} + \sum \dot{m}_e h_e - \sum \dot{m}_s h_s$$

$$\dot{Q} = \dot{m}_p (h_4 - h_3)$$

$$\dot{Q} = \frac{10}{60} \times (166.1 - 497.9) = -55.3 \text{ kW}$$

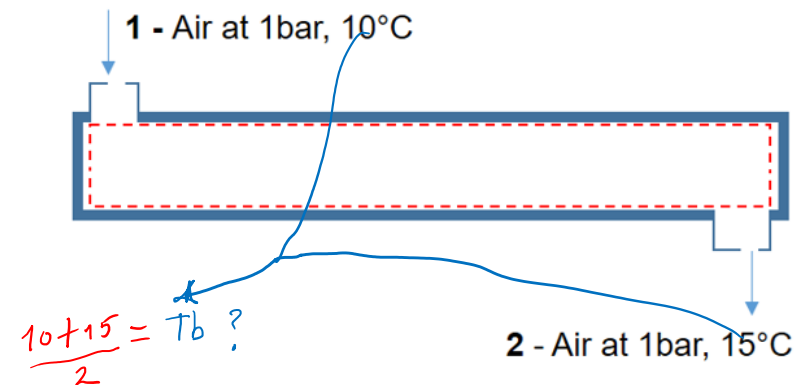


To find the entropy generation(**tubes through which propane flows as a CV**), we need to estimate an appropriate temperature associate with the heat. Taking the average air temperature in the exchanger (12.5°C):

$$\frac{dS}{dt} = \frac{\dot{Q}}{T_b} + \sum \dot{m}_e s_e - \sum \dot{m}_s s_s + \dot{\sigma}$$

$$0 = \frac{-55.3}{12.5 + 273.15} + \frac{10}{60} \times (1.723 - 0.618) + \dot{\sigma}$$

$$\dot{\sigma} = 9.427 \times 10^{-3} \text{ kW/K}$$

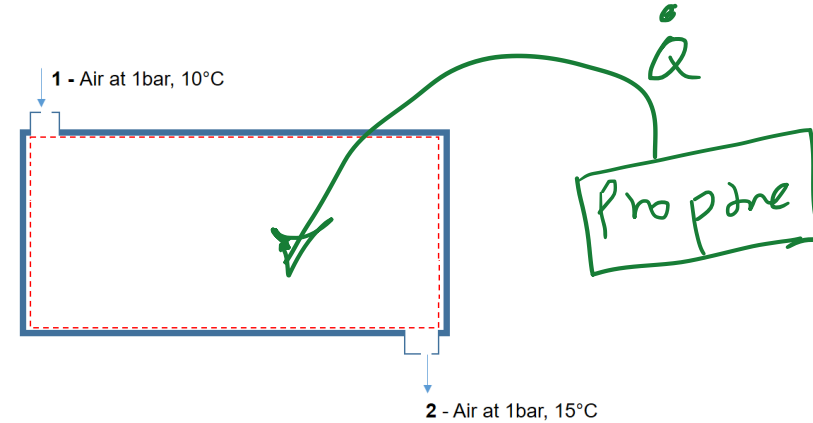


Now, let's consider **the shell through which air flows as a control volume** and estimate the entropy generation. Energy balance:

$$\frac{dE}{dt} = \dot{Q} - \dot{W} + \sum \dot{m}_e h_e - \sum \dot{m}_s h_s$$

$$\dot{Q} = \dot{m}_a c_p (T_2 - T_1)$$

$$\dot{Q} = 11.005 \times 1.005 \times (15 - 10) = 55.3 \text{ kW}$$



To find the entropy generation, we need to estimate an appropriate temperature associate with the heat. Taking the propane saturation temperature in the exchanger (26.95°C):

$$\frac{dS}{dt} = \frac{\dot{Q}}{T_0} + \sum \dot{m}_e s_e - \sum \dot{m}_s s_s + \dot{\sigma}$$

$$0 = \frac{\dot{Q}}{T_b} - (\sum \dot{m}_s s_s - \dot{m}_e s_e) + \dot{\sigma}$$

$$0 = \frac{\dot{Q}}{T_b} - (\dot{m}_a (s_2 - s_1)) + \dot{\sigma}$$

$c_p \frac{T_2}{T_1} - R \ln \frac{P_2}{P_1}$

$$T_b = 26.95^\circ \text{C}$$

$$0 = \frac{55.3}{26.95 + 273.15} - 11.005 \times \left(1.005 \times \ln \frac{15 + 273.15}{10 + 273.15} - \frac{8.314}{28.97} \ln \frac{1}{1} \right) + \dot{\sigma}$$

$$\dot{\sigma} = 9.327 \times 10^{-3} \text{ kW/K}$$

HOMework= Do the exercise using table A22 for air, use h and s^0 .

Second Law – Control Volume

-TRANSIENT PROCESS

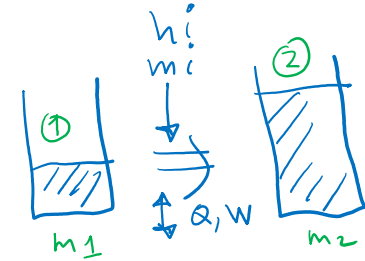
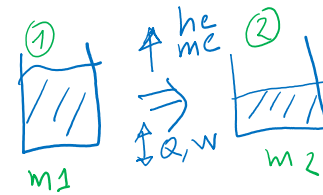
Energy Balance

$$\frac{dE}{dt} = \dot{m}(h_1 - h_2) + \dot{Q} - \dot{W} \rightarrow \text{stationary} \quad 1 \rightarrow \boxed{\text{---}} \rightarrow 2$$

(transient) Typically the evacuation or filling of a tank

$$m_2 u_2 - m_1 u_1 = m_i h_i - m_e h_e + Q_{12} - W_{12} \quad (1)$$

$$m_2 - m_1 = m_i - m_e \quad (2)$$

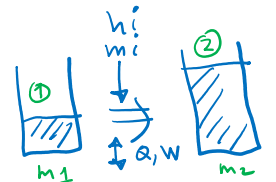
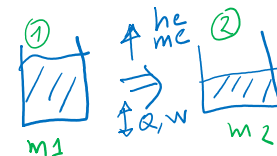


Entropy balance

$$\frac{ds}{dt} = \dot{m}(s_1 - s_2) + \frac{\dot{Q}}{T} + \dot{\sigma} \rightarrow \text{stationary} \quad 1 \rightarrow \boxed{\text{---}} \rightarrow 2$$

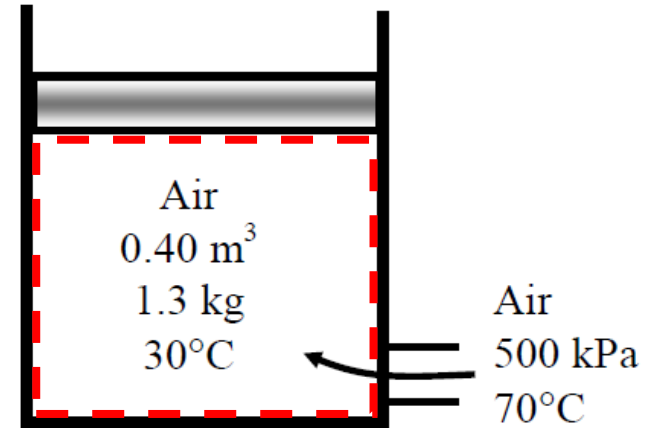
(transient) Typically the evacuation or filling of a tank

$$m_2 s_2 - m_1 s_1 = m_i s_i - m_e s_e + \frac{Q}{T} + \sigma$$



Example 4: *Adiabatic*

An insulated 0.40-m³ piston-cylinder device initially contains 1.3 kg of air at 30°C. In this state, the piston can move. **Air** at 500 kPa and 70 °C is allowed to enter the cylinder from a supply line until **the final temperature of 316 K** and the volume increases by 50%. Determine: (a) the work done [kJ], (b) the amount of mass that has entered [kg], and (c) the entropy generation [kJ/K]. Assume that the final pressure is equal to the initial one.



Assumptions 1 Kinetic and potential energy changes are negligible. 2 Air is an ideal gas with constant specific heats.

Properties The gas constant of air is $R = 0.287$ kJ/kg.K and the specific heats of air at room temperature are $c_p = 1.005$ kJ/kg.K, $c_v = 0.718$ kJ/kg.K (Table A-20)

Mass balance for a transient process

$$m_2 - m_1 = m_i - \cancel{m_e}$$

Energy balance for a transient process

$$m_2 u_2 - m_1 u_1 = \cancel{Q} - W + m_i h_i - \cancel{m_e} h_e$$

Mass balance for a transient process

$$m_2 - m_1 = m_i - m_e$$

Energy balance for a transient process

$$m_2 u_2 - m_1 u_1 = Q - W + m_i h_i - m_e h_e$$

Defining the states:

Initial (1) =

$$T_1 = 30 + 273.15 \text{ #K}$$

$$m_1 = 1.3 \text{ #kg}$$

$$V_1 = 0.4 \text{ #m}^3$$

$$R = 0.287 \text{ #kJ/kg.K}$$

$$p_1 = (m_1 * R * T_1) / V_1 = 282.7632 \text{ #kPa}$$

Final (2) =

$$T_2 = 316 \text{ #K}$$

$$V_2 = 0.4 + (0.4 * (50/100)) \text{ #m}^3$$

$$p_2 = p_1$$

$$m_2 = p_2 * V_2 / (R * T_2) = 1.8707 \text{ #kg}$$

Entering(i) =

$$T_i = 70 + 273.15 \text{ #K}$$

$$p_i = 500 \text{ #kPa}$$

$$m_i = m_2 - m_1 = 0.5707 \text{ #kg}$$

(b) the amount of mass that has entered,

(a) The work done

Energy balance for a transient process

$$m_2 u_2 - m_1 u_1 = Q - W + m_i h_i - m_e h_e$$

Handwritten annotations:
Under $m_2 u_2$: $\hookrightarrow c_v T_2$
Under $m_1 u_1$: $\hookrightarrow c_v T_1$
Under $m_i h_i$: $\hookrightarrow c_p T_i$

```
m2=1.8707 #kg
cv = 0.718 #KJ/kg.K
T2=316 #K
m1=1.3 #kg
T1=30+273.15 #K
cp=1.005 #KJ/kg.K
Ti=70+273.15 #K
```

$$W = -(m_2 * c_v * T_2 - m_1 * c_v * T_1 - m_i * c_p * T_i) = 55.3357 \text{ #kJ}$$

$$W = P(V_2 - V_1) = 56.5526 \text{ #kJ} \quad ???$$

Handwritten annotations:
Under the three question marks: $\cdot \cdot \cdot$

```
V1=0.4 #m3
V2=0.4 + (0.4 * (50/100)) = 0.6 #m3
p2=p1= 282.7632 #kPa
```

(c) The rate of entropy generation

$$m_2 - m_1 = m_i$$

$$m_2 s_2 - m_1 s_1 = \cancel{\frac{Q}{T}} + m_i s_i - \cancel{m_e s_e} + G$$

$$G = m_2 (s_2 - s_i) - m_1 (s_1 - s_i)$$

Ecuación con c_p constante!!

$$\sigma = m_2 \left(c_p \ln \frac{T_2}{T_i} - R \ln \frac{P_2}{P_i} \right) - m_1 \left(c_p \ln \frac{T_1}{T_i} - R \ln \frac{P_1}{P_i} \right)$$

$$\begin{aligned} T_1 &= 30 + 273.15 \text{ \#K} \\ m_1 &= 1.3 \text{ \#kg} \\ p_1 &= 282.7632 \text{ \#kPa} \\ c_p &= 1.005 \text{ \#KJ/kg.K} \end{aligned}$$

$$\begin{aligned} T_2 &= 316 \text{ \#K} \\ p_2 &= p_1 \\ m_2 &= 1.8707 \text{ \#kg} \end{aligned}$$

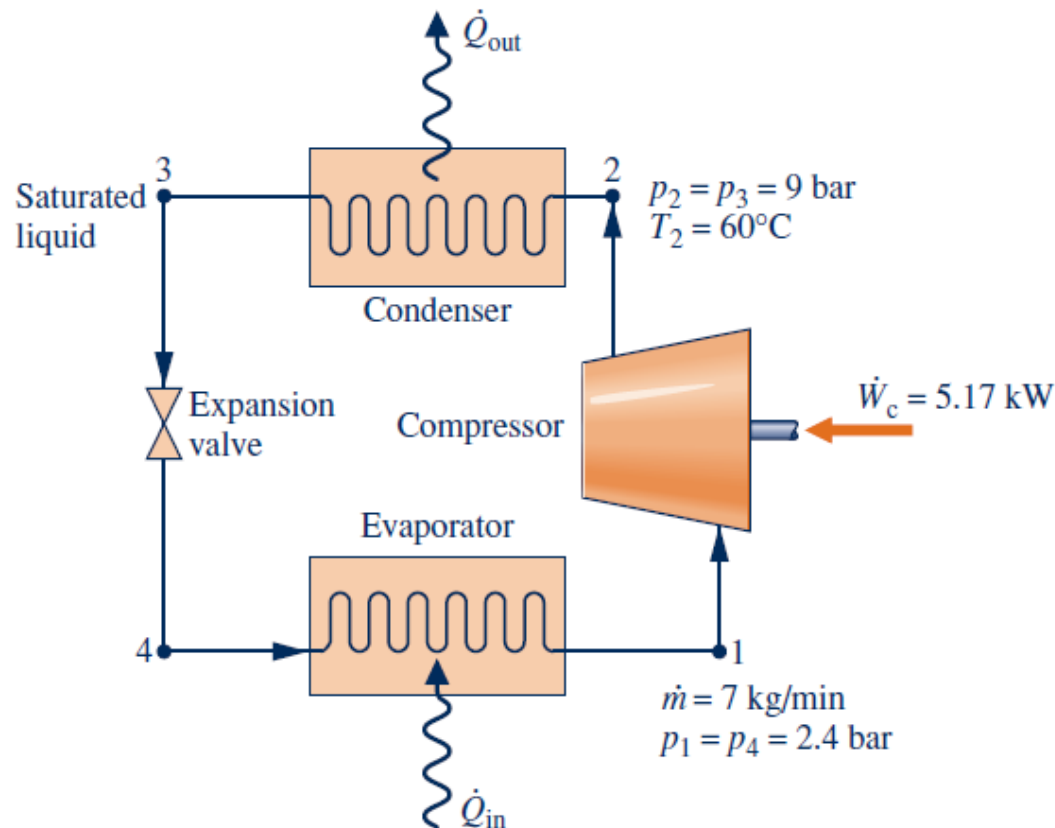
$$\begin{aligned} T_i &= 70 + 273.15 \text{ \#K} \\ p_i &= 500 \text{ \#kPa} \end{aligned}$$

$$\sigma = 0.1003 \text{ \#kJ/K}$$

TAREA: HACER EL EJERCICIO ANTERIOR
USANDO LA TABLA A22 (C_p , C_v VARIABLE)

EXAMPLE 4 – CYCLE

The figure provides the schematic of a heat pump using Refrigerant 134a as the working fluid, together with steady-state data at key points. The mass flow rate of the refrigerant is 7 kg/min, and the power input to the compressor is 5.171 kW. (a) Determine the coefficient of performance for the heat pump. (b) ~~The rate of entropy generation in each equipment.~~ (c) The rate of entropy generation of the cycle [kW/K], assuming that $T_H = 20\text{ }^{\circ}\text{C}$ (temperature inside de house) and $T_L = 1\text{ }^{\circ}\text{C}$ (temperature outside de house). The compressor and valve are adiabatic.



For the compressor:

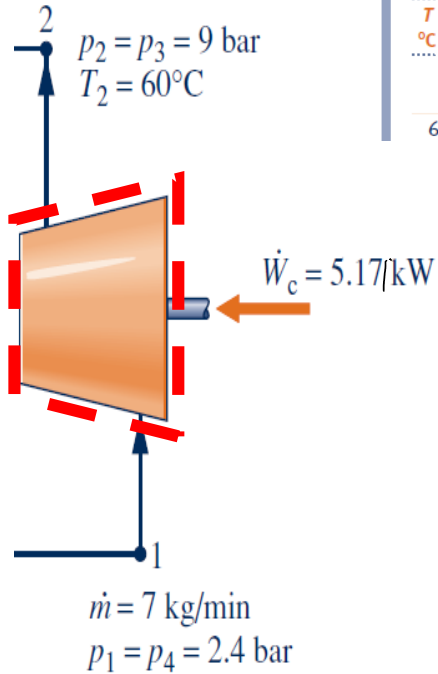


TABLE A-12

(Continued)

T $^\circ\text{C}$	v m^3/kg	u kJ/kg	h kJ/kg	s $\text{kJ/kg} \cdot \text{K}$
$p = 9.0 \text{ bar} = 0.90 \text{ MPa}$ ($T_{\text{sat}} = 35.53^\circ\text{C}$)				
60	0.02609	269.72	293.21	0.9897

Energy balance:

$$\frac{dE}{dt} = \dot{Q} - \dot{W} + \sum \dot{m}_e h_e - \sum \dot{m}_s h_s$$

$$0 = -\dot{W} + \dot{m} \times (h_1 - h_2)$$

$$h_1 = \frac{\dot{W}}{\dot{m}} + h_2 = \frac{-5.171}{7/60} + 293.21$$

$$h_1 = 248.89 \text{ kJ/kg}$$

TABLE A-12

Properties of Superheated Refrigerant 134a

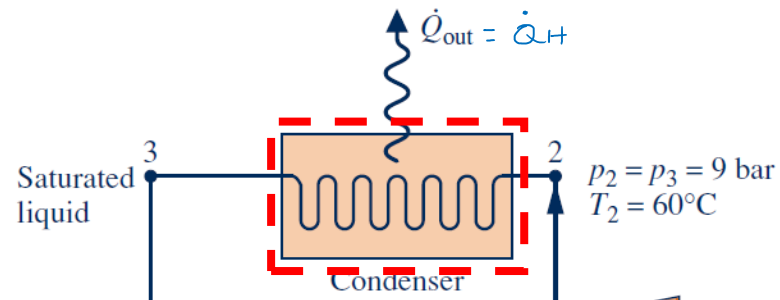
T $^\circ\text{C}$	v m^3/kg	u kJ/kg	h kJ/kg	s $\text{kJ/kg} \cdot \text{K}$
$p = 2.4 \text{ bar} = 0.24 \text{ MPa}$ ($T_{\text{sat}} = -5.37^\circ\text{C}$)				
Sat.	0.08343	224.07	244.09	0.9222
-10				
0	0.08574	228.31	248.89	0.9399

State 1 is superheated vapor
at 2.4 bar and 0°C

For the condenser:

TABLE A-12
(Continued)

T °C	v m ³ /kg	u kJ/kg	h kJ/kg	s kJ/kg · K
$p = 9.0 \text{ bar} = 0.90 \text{ MPa}$ ($T_{\text{sat}} = 35.53^\circ\text{C}$)				
60	0.02609	269.72	293.21	0.9897



Energy balance:

$$\frac{dE}{dt} = \dot{Q} - \dot{W} + \sum \dot{m}_e h_e - \sum \dot{m}_s h_s$$

$$\dot{Q} = \dot{m} \times (h_3 - h_2)$$

$$\dot{Q} = \frac{7}{60} \times (99.56 - 293.21)$$

$$\dot{Q}_H = -22.5925 \text{ kW}$$

TABLE A-11

Pressure Conversions:
1 bar = 0.1 MPa
= 10² kPa

Properties of Saturated Refrigerant 134a (Liquid–Vapor): Pressure Table

		Specific Volume m ³ /kg		Internal Energy kJ/kg		Enthalpy kJ/kg		Entropy kJ/kg · K		
Press. bar	Temp. °C	Sat. Liquid $v_f \times 10^3$	Sat. Vapor v_g	Sat. Liquid u_f	Sat. Vapor u_g	Sat. Liquid h_f	Evap. h_{fg}	Sat. Vapor h_g	Sat. Liquid s_f	Sat. Vapor s_g
9.0	35.53	0.8576	0.0226	98.79	245.88	99.56	166.62	266.18	0.3656	0.9054

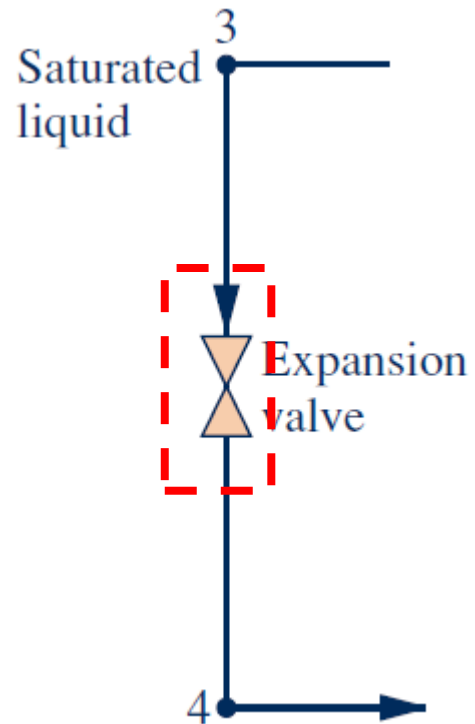
h_3

a) COP

$$COP = \left| \frac{\dot{Q}_H}{\dot{W}} \right| = \frac{22.5925}{5.171} = 4.37$$

data

For the valve:



Energy balance:

$$\cancel{\frac{dE}{dt}} = \cancel{\dot{Q}} - \cancel{\dot{W}} + \sum \dot{m}_e h_e - \sum \dot{m}_s h_s$$

$$h_4 = h_3 = 99.56 \text{ kJ/kg}$$

Defining state 4: We know $P_4 = P_1 = 2.4 \text{ bar}$ and h_4

$$x_4 = \frac{99.56 - 42.95}{244.09 - 42.95} = 0.2814$$

mixture L-V, $T_4 = 5.37^\circ\text{C}$

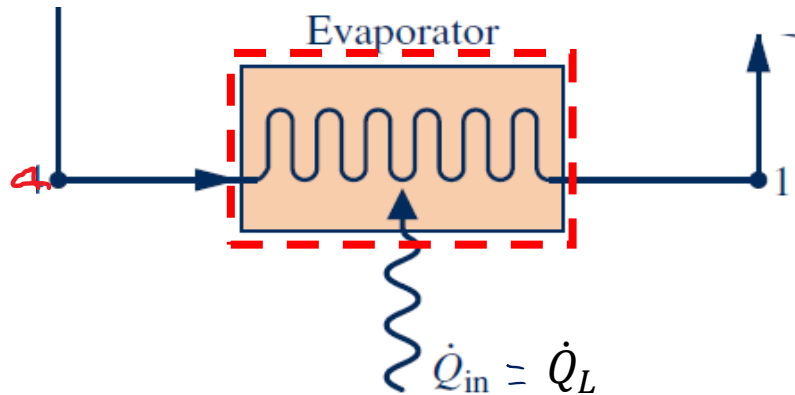
TABLE A-11

Pressure Conversions:
1 bar = 0.1 MPa
= 10^2 kPa

Properties of Saturated Refrigerant 134a (Liquid–Vapor): Pressure Table

Press. bar	Temp. °C	Specific Volume m ³ /kg		Internal Energy kJ/kg		Enthalpy kJ/kg			Entropy kJ/kg · K	
		Sat. Liquid $v_f \times 10^3$	Sat. Vapor v_g	Sat. Liquid u_f	Sat. Vapor u_g	Sat. Liquid h_f	Evap. h_{fg}	Sat. Vapor h_g	Sat. Liquid s_f	Sat. Vapor s_g
2.4	−5.37	0.7618	0.0834	42.77	224.07	42.95	201.14	244.09	0.1710	0.9222

For the evaporator:



Energy balance:

$$\frac{dE}{dt} = \dot{Q} - \dot{W} + \sum \dot{m}_e h_e - \sum \dot{m}_s h_s$$

$$\dot{Q} = \dot{m} \times (h_1 - h_4)$$

$$h_3 = 99.56 = h_4 \dots \text{valve..} T_4 = -5.37^\circ\text{C}$$

$$\dot{Q} = \frac{7}{60} \times (248.89 - 99.56)$$

$$\dot{Q}_L = 17.4218 \text{ kW}$$

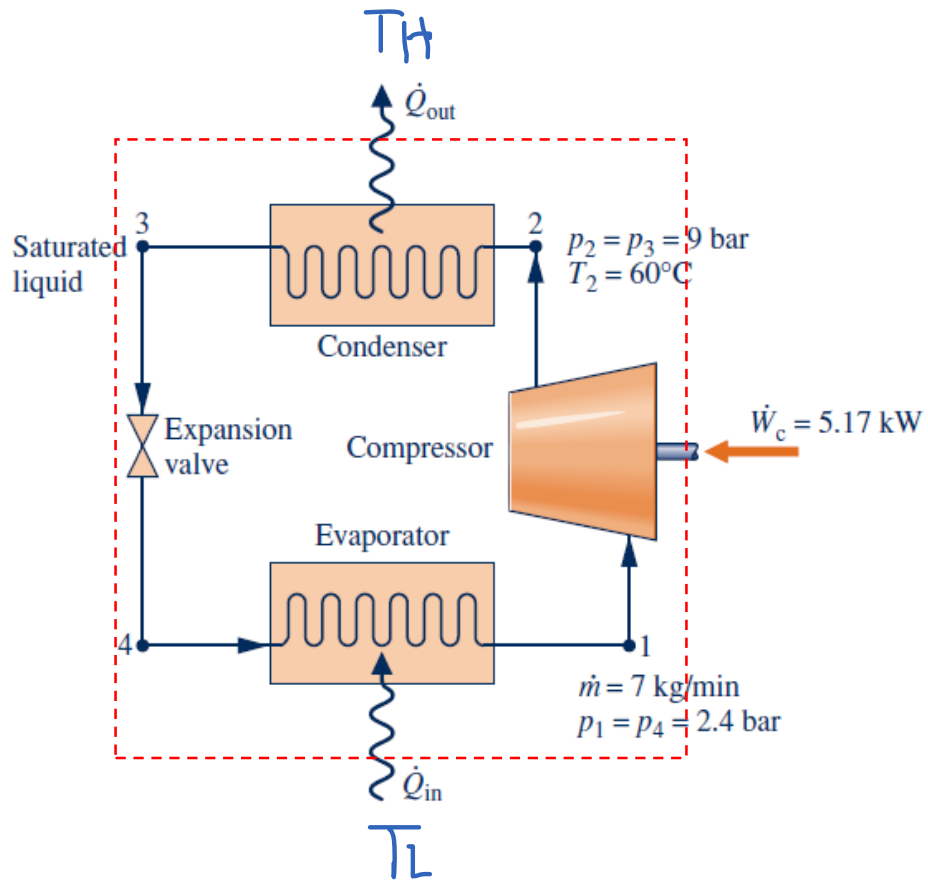
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Properties of Superheated Refrigerant 134a

T °C	v m ³ /kg	u kJ/kg	h kJ/kg	s kJ/kg · K
$p = 2.4 \text{ bar} = 0.24 \text{ MPa}$				
$(T_{\text{sat}} = -5.37^\circ\text{C})$				
Sat.	0.08343	224.07	244.09	0.9222
-10				
0	0.08574	228.31	248.89	0.9399

State 1 is superheated vapor at 2.4bar and 0°C

c) Considering the cycle as a closed system



$$\frac{dS}{dt} = \sum \frac{\dot{Q}}{T_0} + \sum \cancel{\dot{m}_e s_e} - \sum \cancel{\dot{m}_s s_s} + \dot{\sigma}$$

$$0 = \frac{\overset{Q_H}{-22.5925}}{\underset{T_H}{20 + 273.15}} + \frac{\overset{Q_L}{17.4218}}{\underset{T_L}{1 + 273.15}} + \dot{\sigma}$$

$$\dot{\sigma} = 0.0135 \text{ kW/K}$$

Homework

(b) The rate of entropy generation in each equipment $[kW/K]$ and the T $[^{\circ}C]$ -s $[\frac{kJ}{kg.K}]$ diagram.

Thanks!

Una masa de Propano a 1 bar y 80% de calidad (estado 1) contenido en un cilindro recibe calor desde una fuente a 500 K hasta que pasa a vapor saturado (estado 2) en un proceso irreversible, en dicho momento, el pistón justo alcanza los topes del cilindro. Si la presión inicial y final son las mismas y el trabajo real representa el 78% del trabajo reversible. En dicho momento, el pistón logra alcanzar los topes del cilindro.. Determine:

- El estado 1 (u_1 , v_1 y s_1) y estado 2 (u_2 , v_2 y s_2)
- El trabajo del proceso 1-2 (kJ/kg)
- El calor del proceso 1-2 (kJ/kg)
- La generación de entropía (kJ/kg.K) durante el proceso